

Biserni oblaki in uklon

naravoslovna fotografija, Presek 51, 4

naravoslovna fotografija = naslovnica

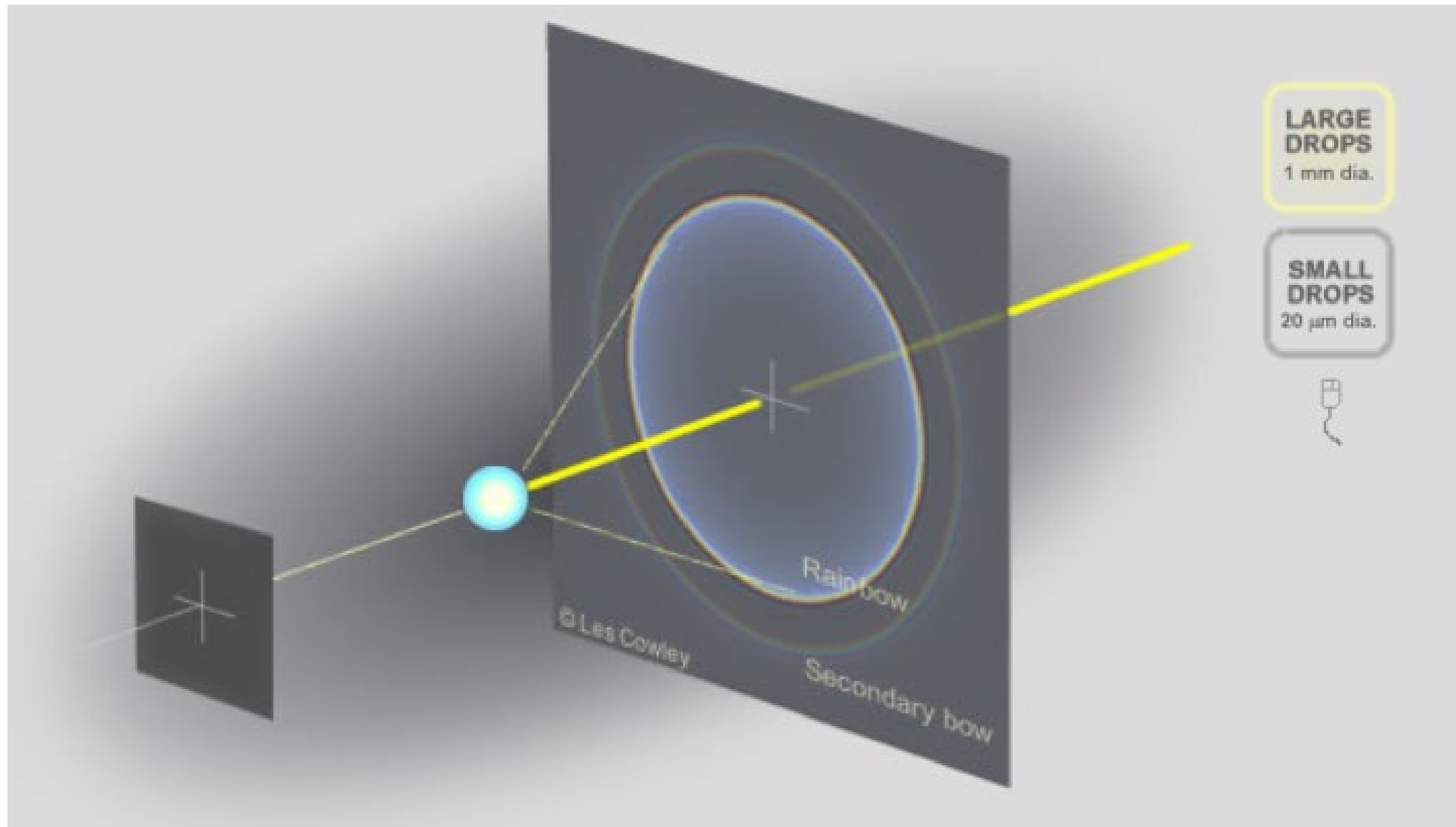


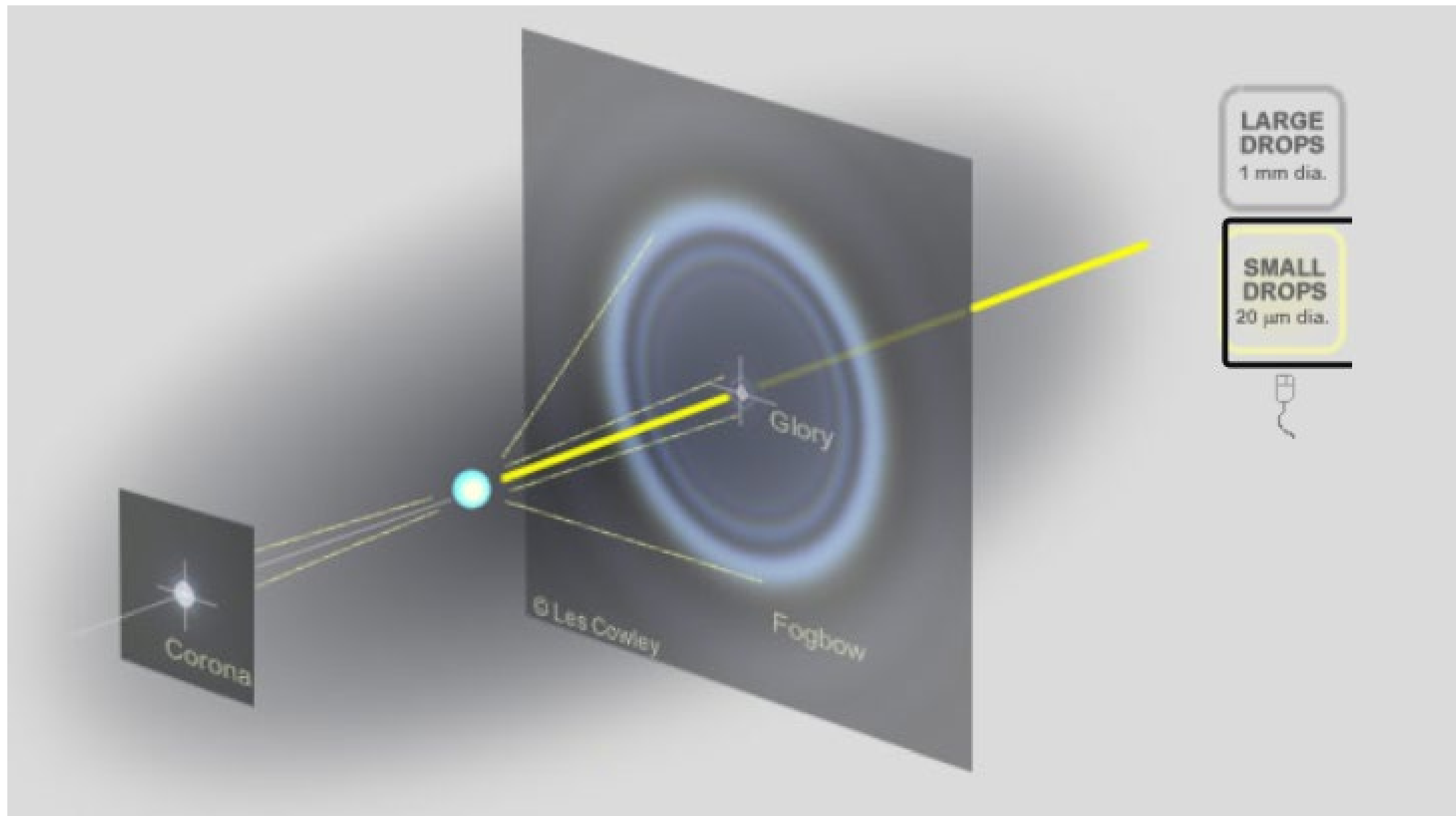
fotometeorji

- halo
- mavrica
- megleni lok
- iridescenca oblakov (ali irizacija)
- gloriija
- Bishopov prstan
- korona
- krepuskularni žarki
- sončni psi
- svetlobni steber
- privid/fatamorgana
- scintilacija/migotanje
- zeleni blisk



Brent Mckean





LARGE DROPS
1 mm dia.

SMALL DROPS
20 μm dia.

Corona

Glory

Les Cowley

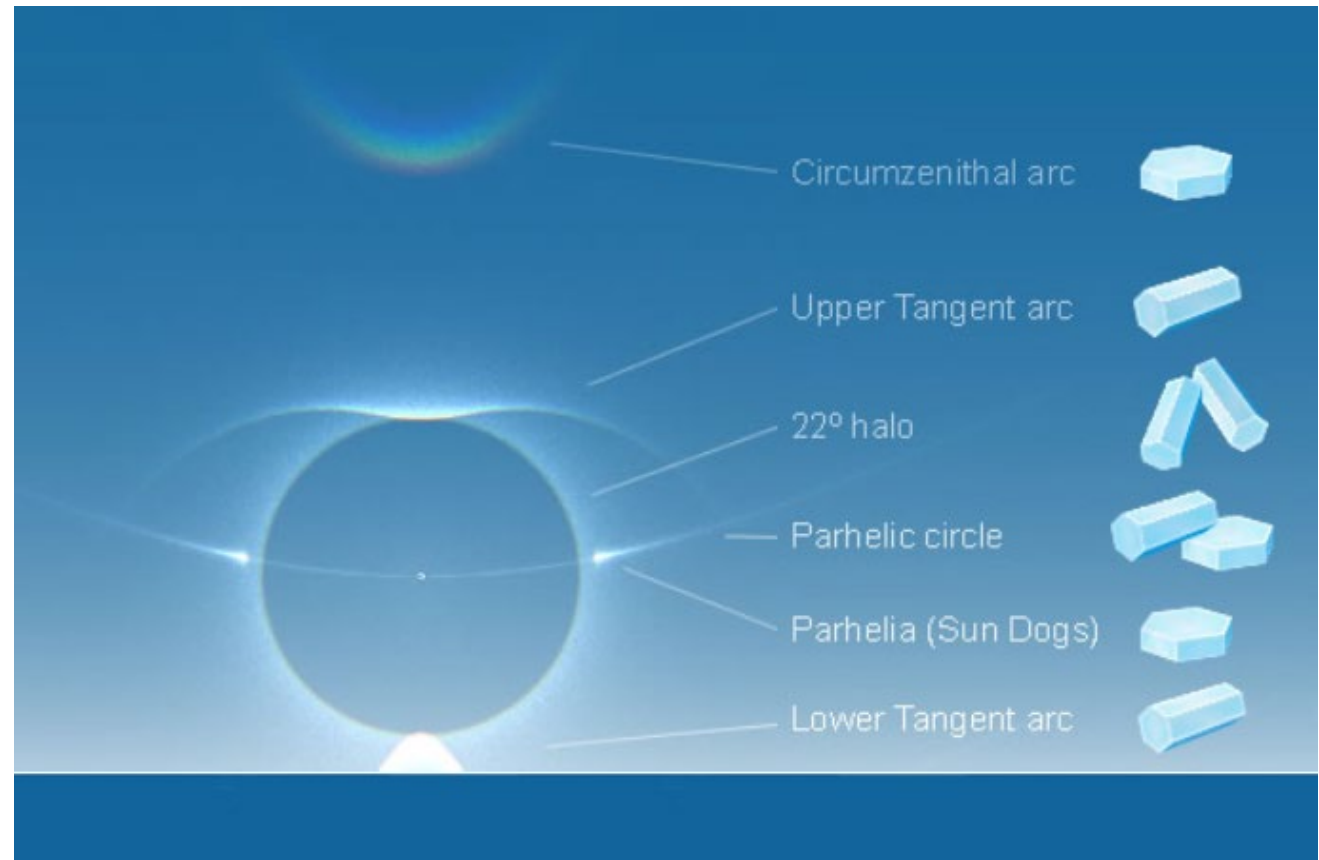
Fogbow

halo

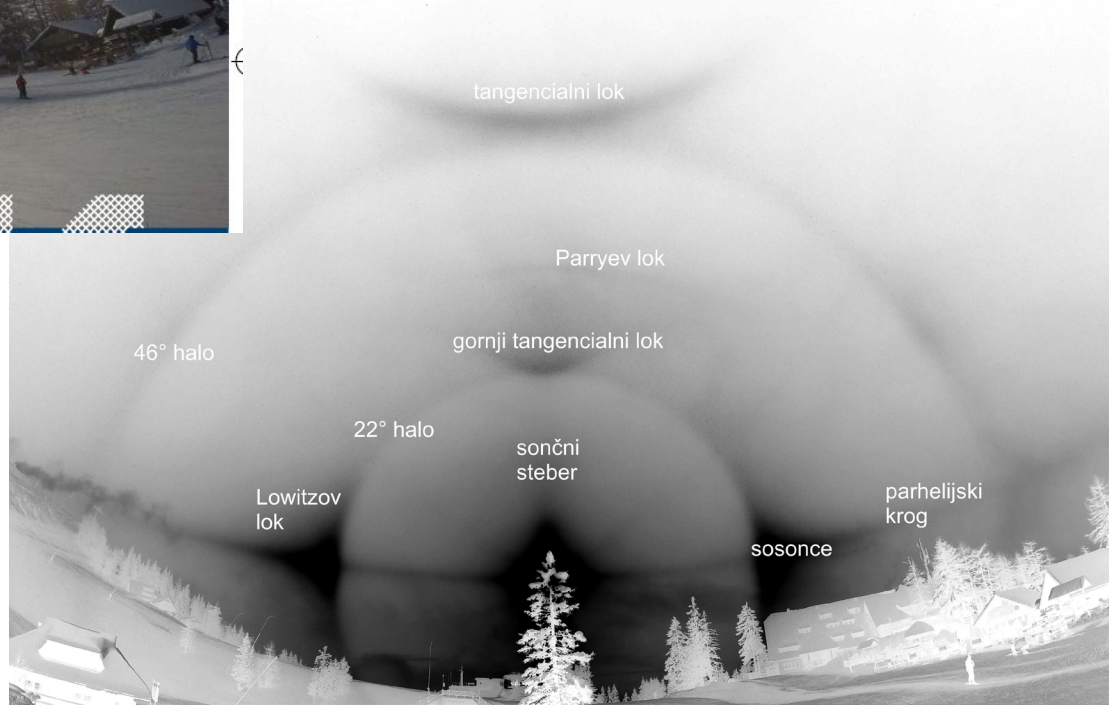
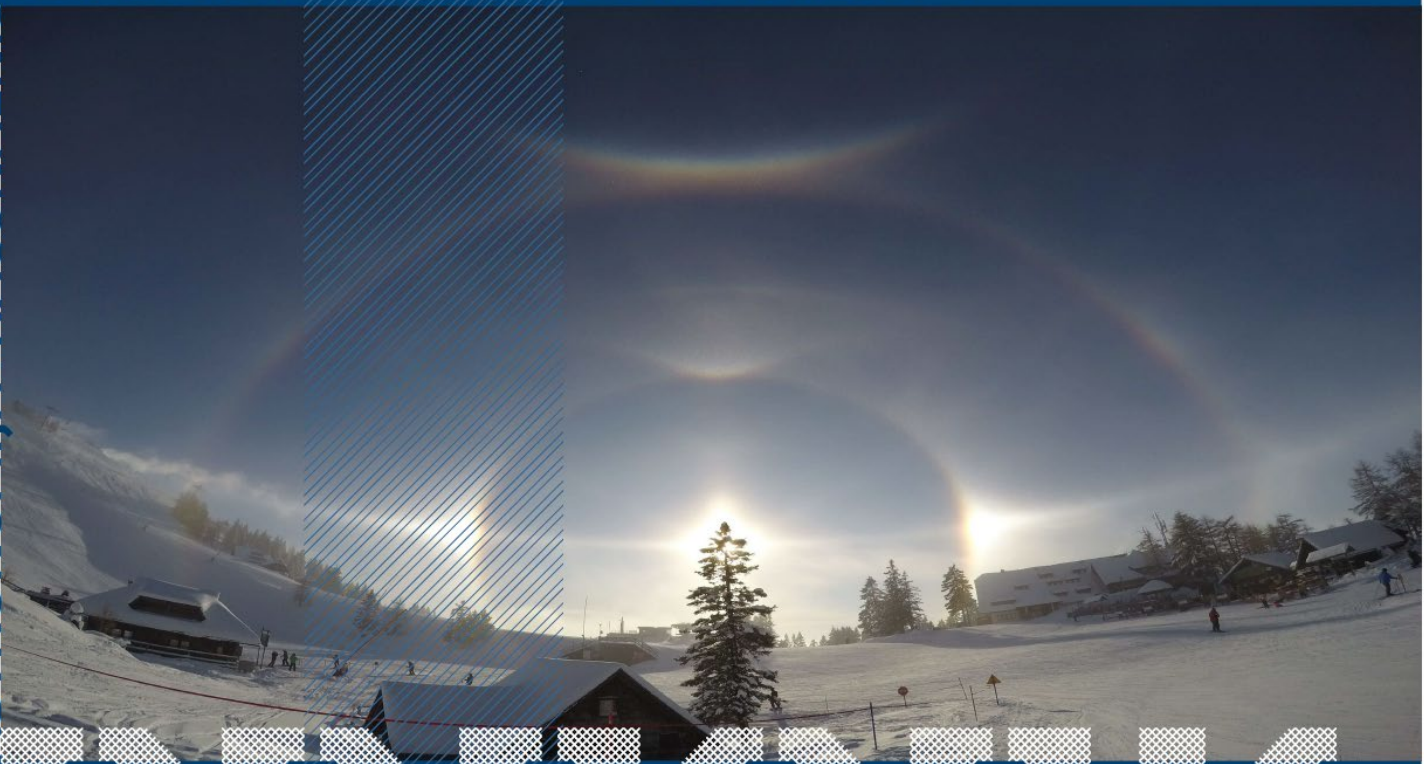


PRESEK 44 (2016/2017) 3

https://en.wikipedia.org/wiki/22%C2%B0_halo



PRESEK 44 (2016/2017) 4



sosonce

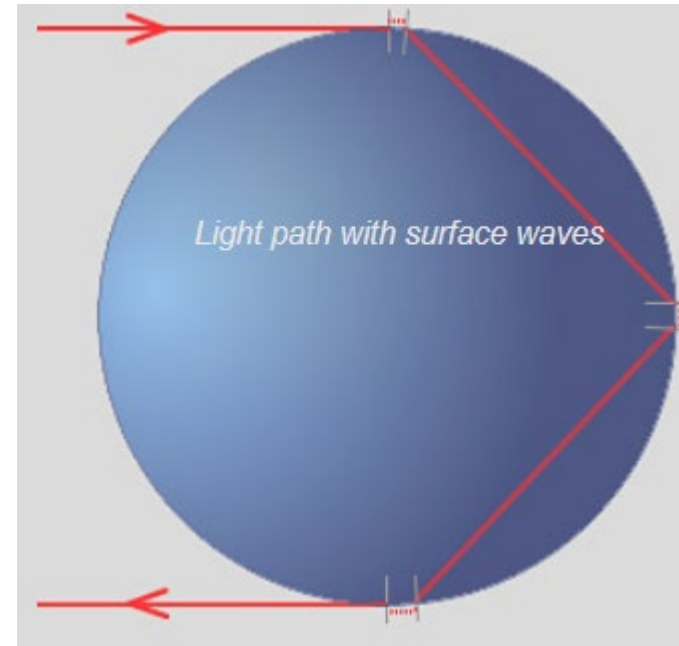


sončni steber

Presek 38 (2010/2011) 5



glorija



korona



[https://en.wikipedia.org/wiki/Corona_\(optical_phenomenon\)](https://en.wikipedia.org/wiki/Corona_(optical_phenomenon))

korona

PRESEK 45 (2017/2018) 1

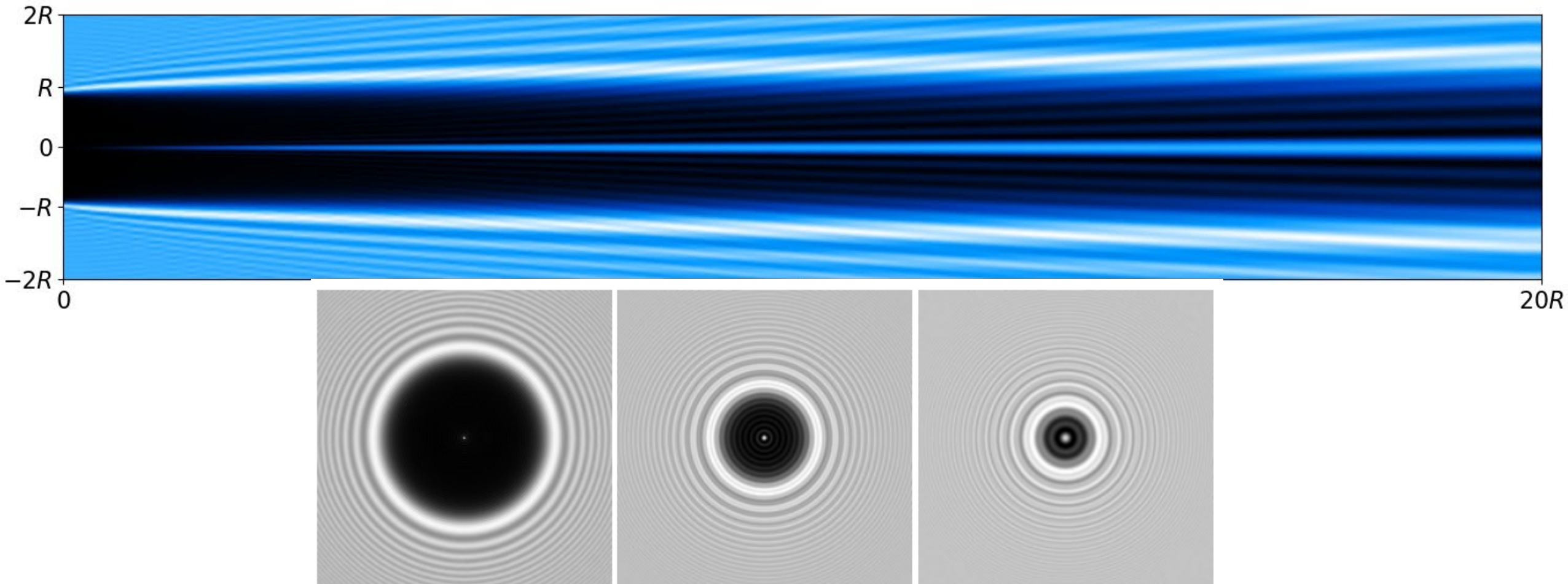


korona - venec

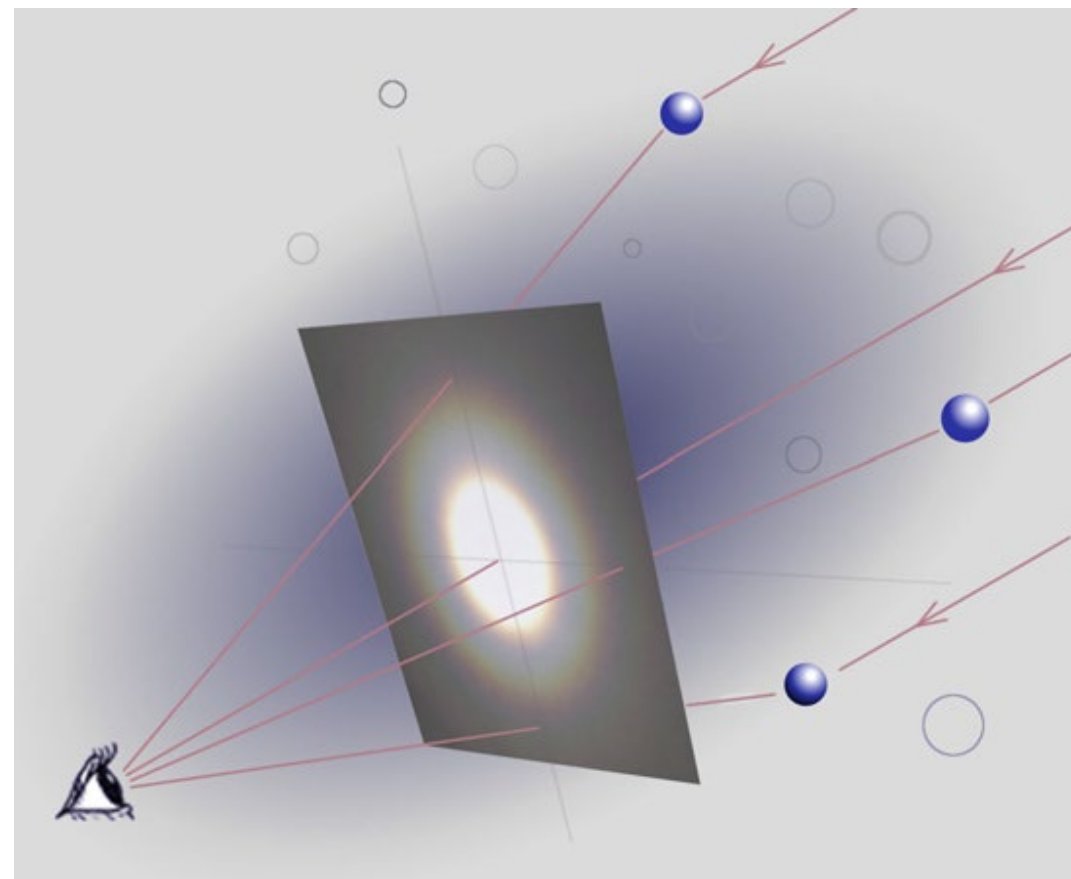
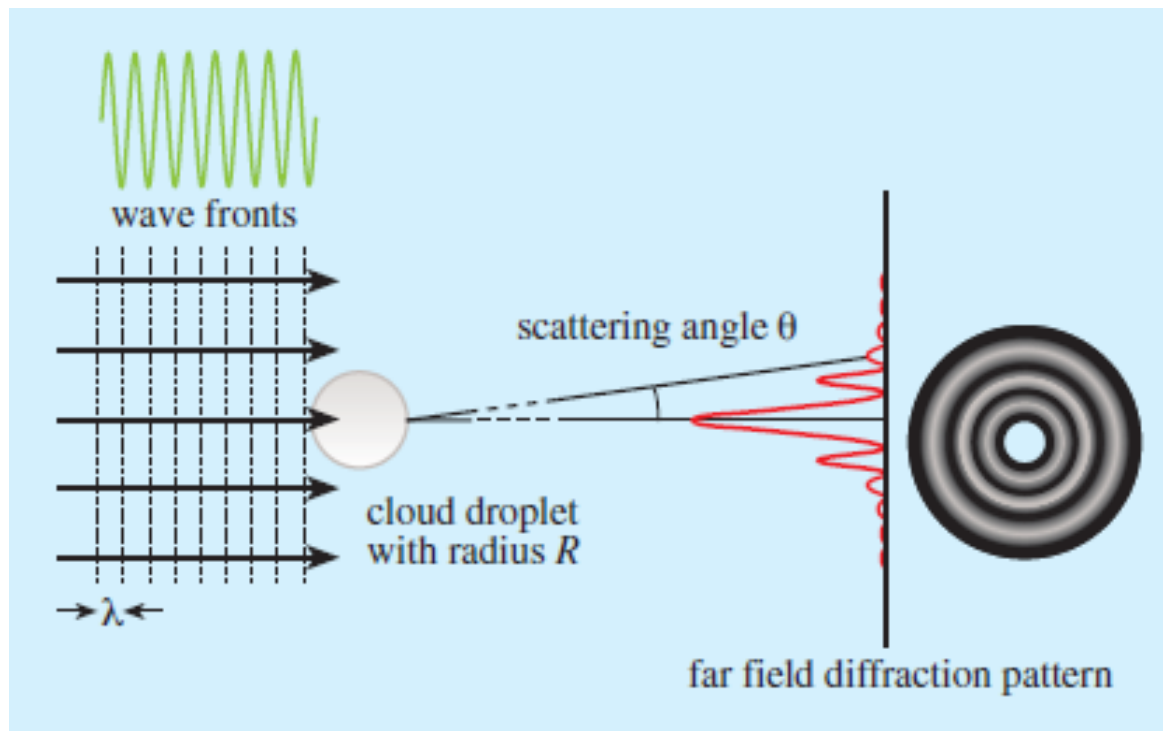


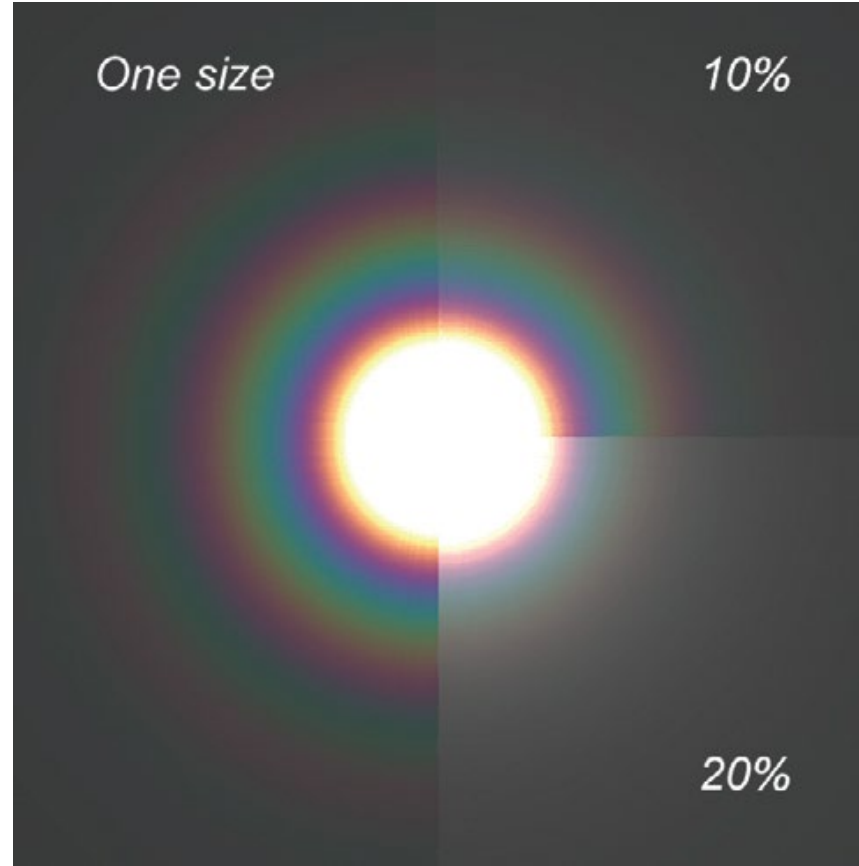
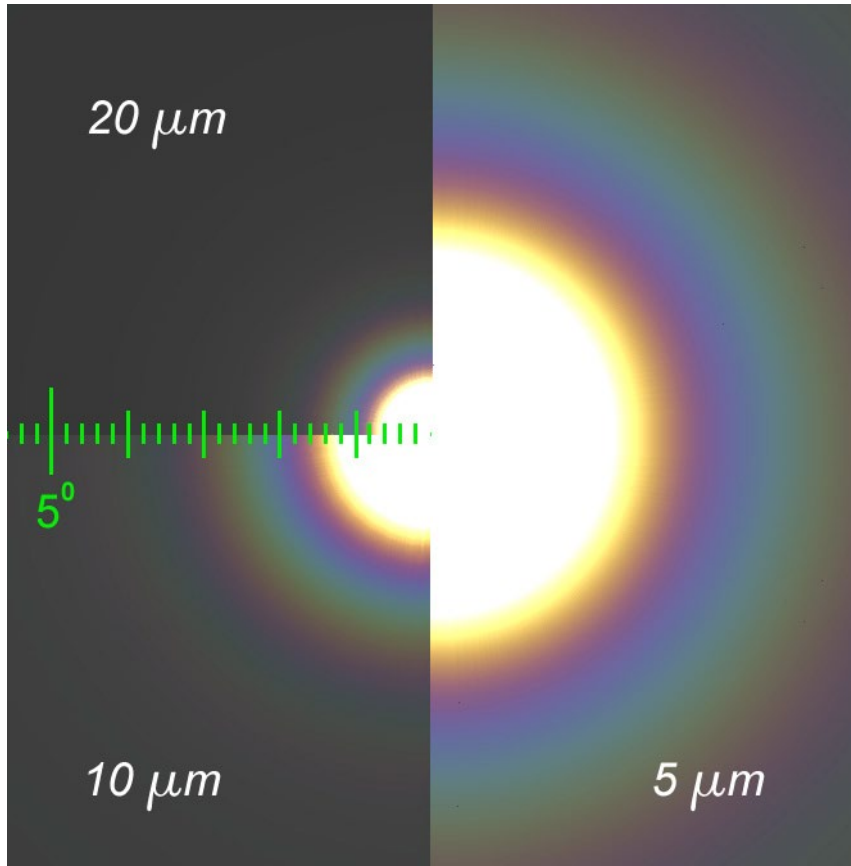
presek 40 (2012/2013) 5

uklon na okrogli oviri



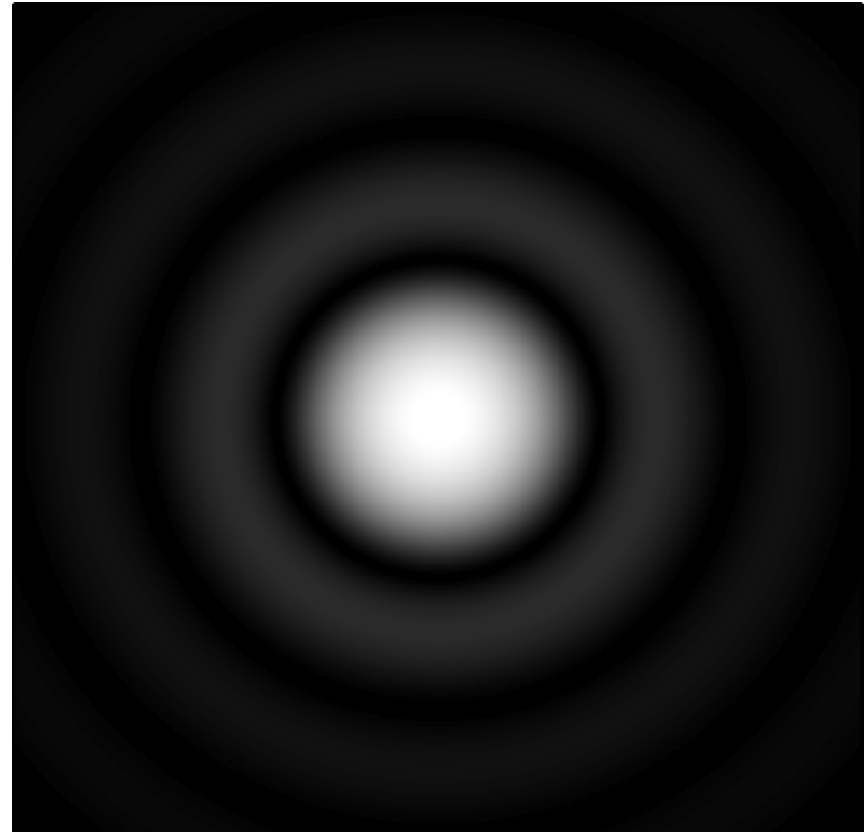
https://en.wikipedia.org/wiki/Arago_spot



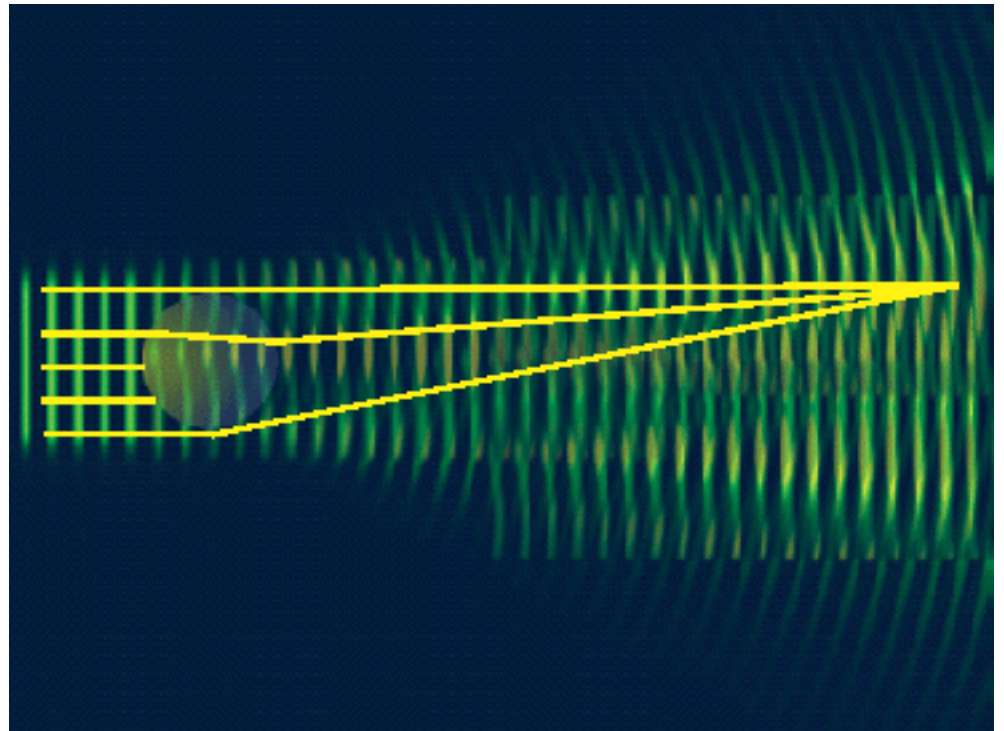
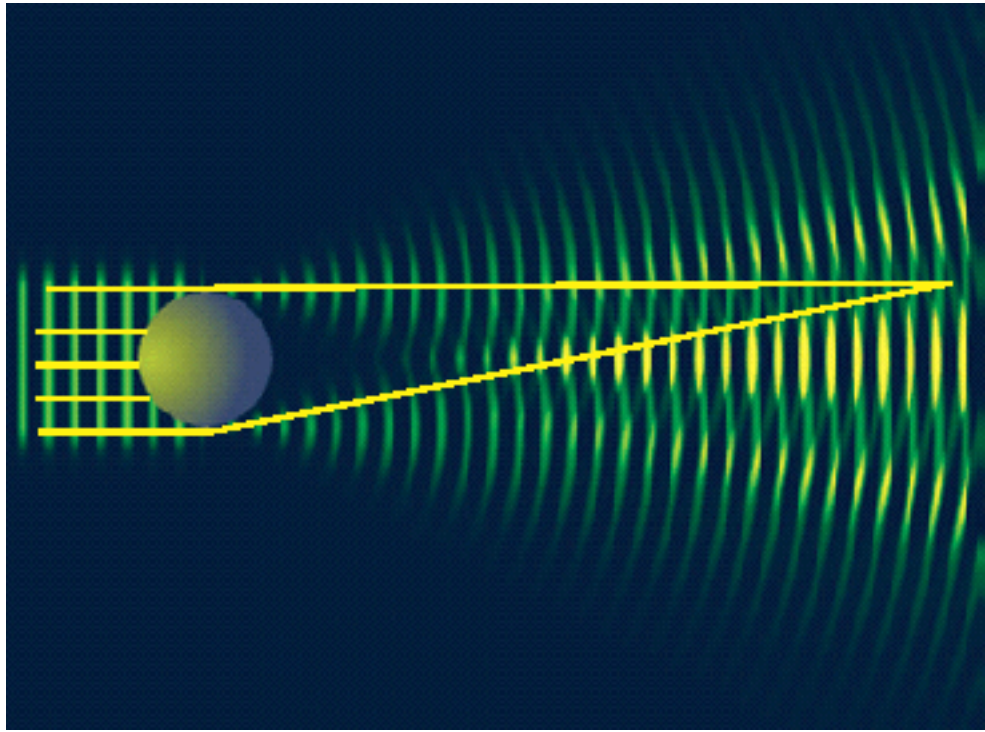


uklon na okrogli luknji - Airyjev disk

- https://phet.colorado.edu/sims/html/wave-interference/latest/wave-interference_en.html



https://sl.wikipedia.org/wiki/Airyjev_disk



miejevo sipanje

$$\nabla^2 \mathbf{E} + k^2 \mathbf{E} = 0, \quad \nabla^2 \mathbf{H} + k^2 \mathbf{H} = 0.$$

In addition to the Helmholtz equation, the fields must satisfy the conditions $\nabla \cdot \mathbf{E} = \nabla \cdot \mathbf{H} = 0$ and $\nabla \times \mathbf{E} = i\omega\mu\mathbf{H}$, $\nabla \times \mathbf{H} = -i\omega\varepsilon\mathbf{E}$. [Vector spherical harmonics](#) possess all the necessary properties, introduced as follows:

$$\mathbf{M}_{\zeta mn} = \nabla \times (\mathbf{r}\psi_{\zeta mn}) \text{ — magnetic harmonics (TE),}$$

$$\mathbf{N}_{\zeta mn} = \frac{\nabla \times \mathbf{M}_{\zeta mn}}{k} \text{ — electric harmonics (TM),}$$

where

$$\psi_{emn} = \cos m\varphi P_n^m(\cos \vartheta) z_n(kr),$$

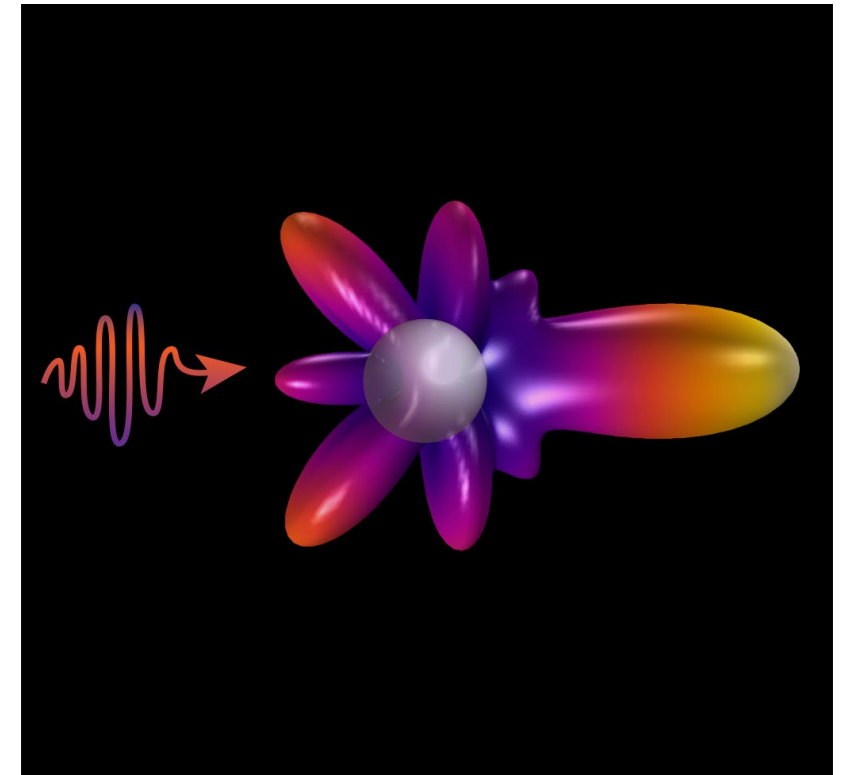
$$\psi_{omn} = \sin m\varphi P_n^m(\cos \vartheta) z_n(kr),$$

and $P_n^m(\cos \theta)$ — [Associated Legendre polynomials](#), and $z_n(kr)$ — any of the [spherical Bessel functions](#).

Next, we expand the incident plane wave in vector spherical harmonics:

$$\mathbf{E}_{inc} = E_0 e^{ikr \cos \theta} \mathbf{e}_x = E_0 \sum_{n=1}^{\infty} i^n \frac{2n+1}{n(n+1)} \left(\mathbf{M}_{o1n}^{(1)}(k, \mathbf{r}) - i\mathbf{N}_{e1n}^{(1)}(k, \mathbf{r}) \right),$$

$$\mathbf{H}_{inc} = \frac{-k}{\omega\mu} E_0 \sum_{n=1}^{\infty} i^n \frac{2n+1}{n(n+1)} \left(\mathbf{M}_{e1n}^{(1)}(k, \mathbf{r}) + i\mathbf{N}_{o1n}^{(1)}(k, \mathbf{r}) \right).$$



https://en.wikipedia.org/wiki/Codes_for_electromagnetic_scattering_by_spheres

https://en.wikipedia.org/wiki/Atmospheric_radiative_transfer_codes

https://en.wikipedia.org/wiki/Mie_scattering

Scattered fields are written in terms of a vector harmonic expansion as

$$\mathbf{E}_s = \sum_{n=1}^{\infty} E_n \left(ia_n \mathbf{N}_{e1n}^{(3)}(k, \mathbf{r}) - b_n \mathbf{M}_{o1n}^{(3)}(k, \mathbf{r}) \right),$$

$$\mathbf{H}_s = \frac{k}{\omega\mu} \sum_{n=1}^{\infty} E_n \left(a_n \mathbf{M}_{e1n}^{(3)}(k, \mathbf{r}) + ib_n \mathbf{N}_{o1n}^{(3)}(k, \mathbf{r}) \right).$$

Here the superscript (3) means that in the radial part of the functions $\psi_{\phi_{mn}}$ are spherical Hankel functions of the first kind (those of the second kind would have (4)), and $E_n = \frac{i^n E_0 (2n + 1)}{n(n + 1)}$,

Internal fields:

$$\mathbf{E}_1 = \sum_{n=1}^{\infty} E_n \left(-id_n \mathbf{N}_{e1n}^{(1)}(k_1, \mathbf{r}) + c_n \mathbf{M}_{o1n}^{(1)}(k_1, \mathbf{r}) \right),$$

$$\mathbf{H}_1 = \frac{-k_1}{\omega\mu_1} \sum_{n=1}^{\infty} E_n \left(d_n \mathbf{M}_{e1n}^{(1)}(k_1, \mathbf{r}) + ic_n \mathbf{N}_{o1n}^{(1)}(k_1, \mathbf{r}) \right).$$

After applying the interface conditions, we obtain expressions for the coefficients:

$$c_n(\omega) = \frac{\mu_1 [\rho h_n(\rho)]' j_n(\rho) - \mu_1 [\rho j_n(\rho)]' h_n(\rho)}{\mu_1 [\rho h_n(\rho)]' j_n(\rho_1) - \mu [\rho_1 j_n(\rho_1)]' h_n(\rho)},$$

$$d_n(\omega) = \frac{\mu_1 n_1 n [\rho h_n(\rho)]' j_n(\rho) - \mu_1 n_1 n [\rho j_n(\rho)]' h_n(\rho)}{\mu n_1^2 [\rho h_n(\rho)]' j_n(\rho_1) - \mu_1 n^2 [\rho_1 j_n(\rho_1)]' h_n(\rho)},$$

$$b_n(\omega) = \frac{\mu_1 [\rho j_n(\rho)]' j_n(\rho) - \mu [\rho_1 j_n(\rho_1)]' j_n(\rho)}{\mu_1 [\rho h_n(\rho)]' j_n(\rho_1) - \mu [\rho_1 j_n(\rho_1)]' h_n(\rho)},$$

$$a_n(\omega) = \frac{\mu n_1^2 [\rho j_n(\rho)]' j_n(\rho) - \mu_1 n^2 [\rho_1 j_n(\rho_1)]' j_n(\rho)}{\mu n_1^2 [\rho h_n(\rho)]' j_n(\rho_1) - \mu_1 n^2 [\rho_1 j_n(\rho_1)]' h_n(\rho)},$$

iridiscenca oblakov



https://en.wikipedia.org/wiki/Cloud_iridescence

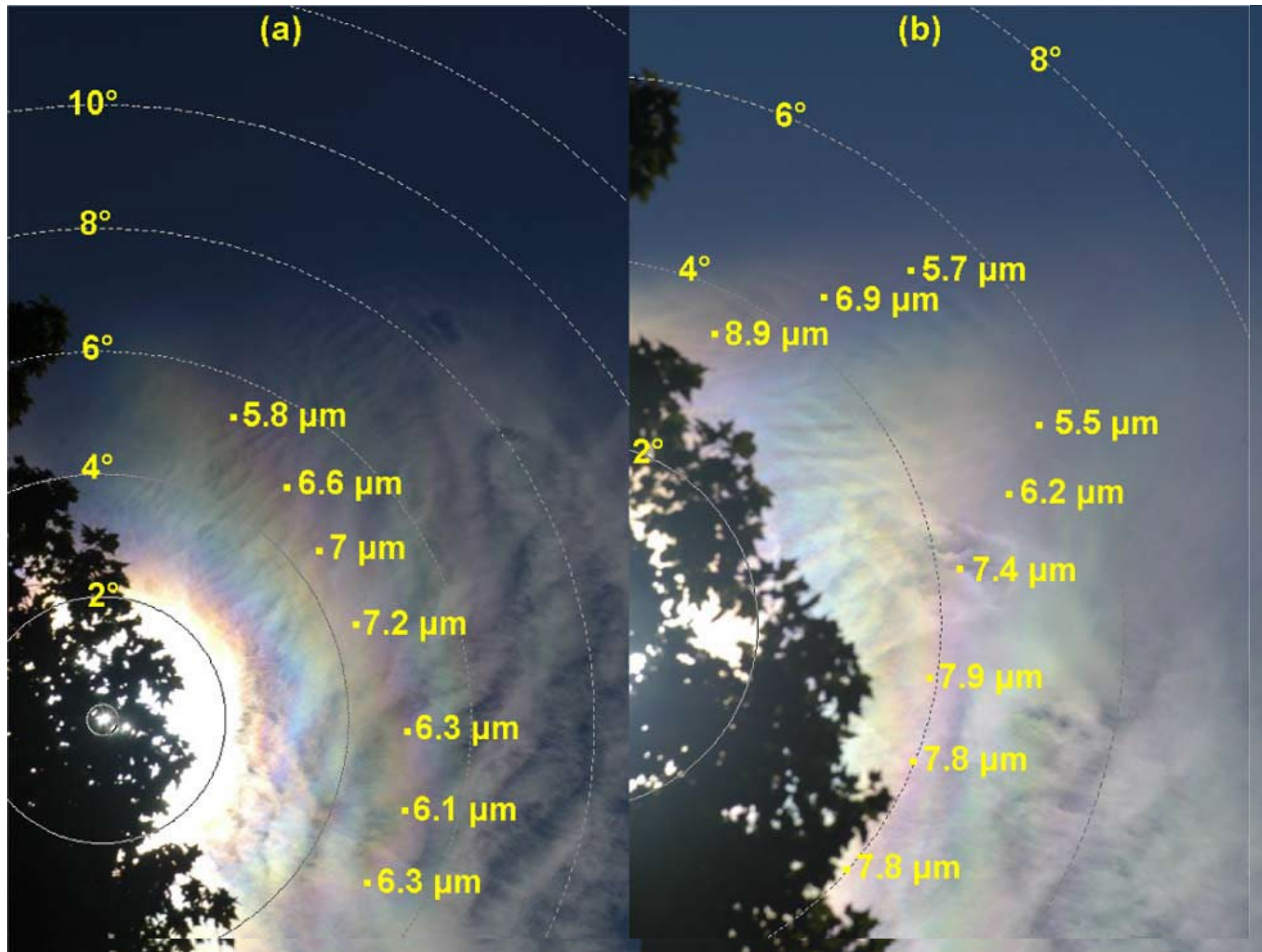
(a)

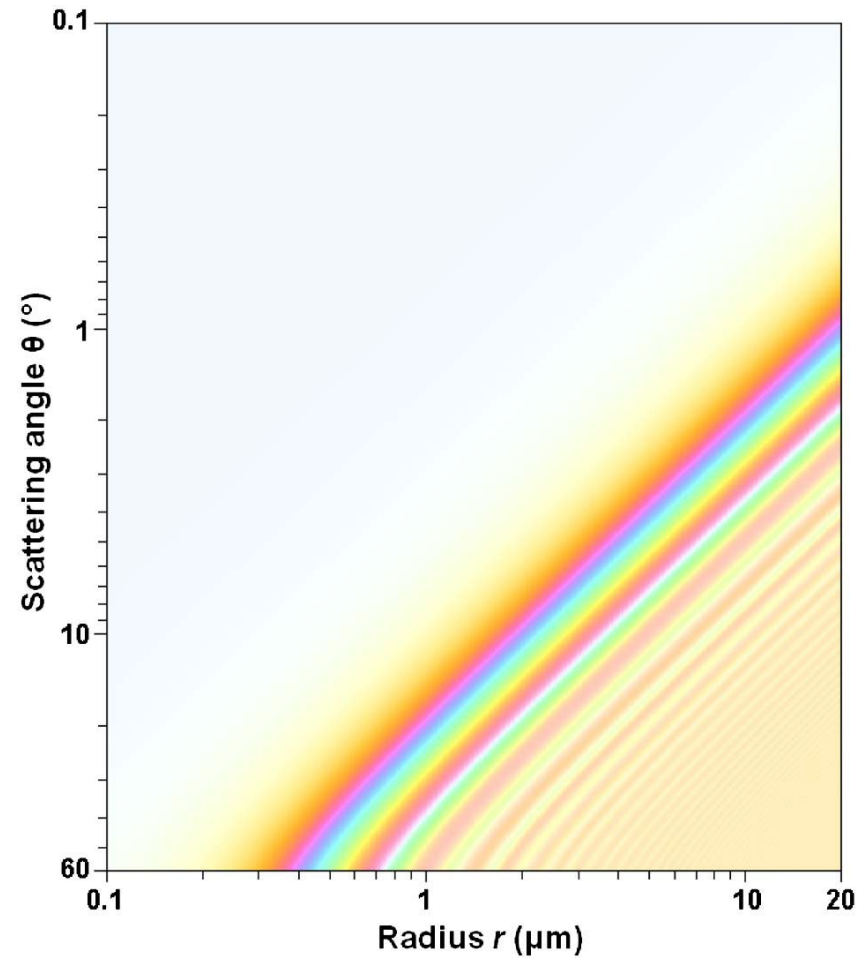
Iridescent clouds and distorted coronas
PHILIP LAVEN
Vol. 56, No. 19 / July 1 2017 / Applied Optics



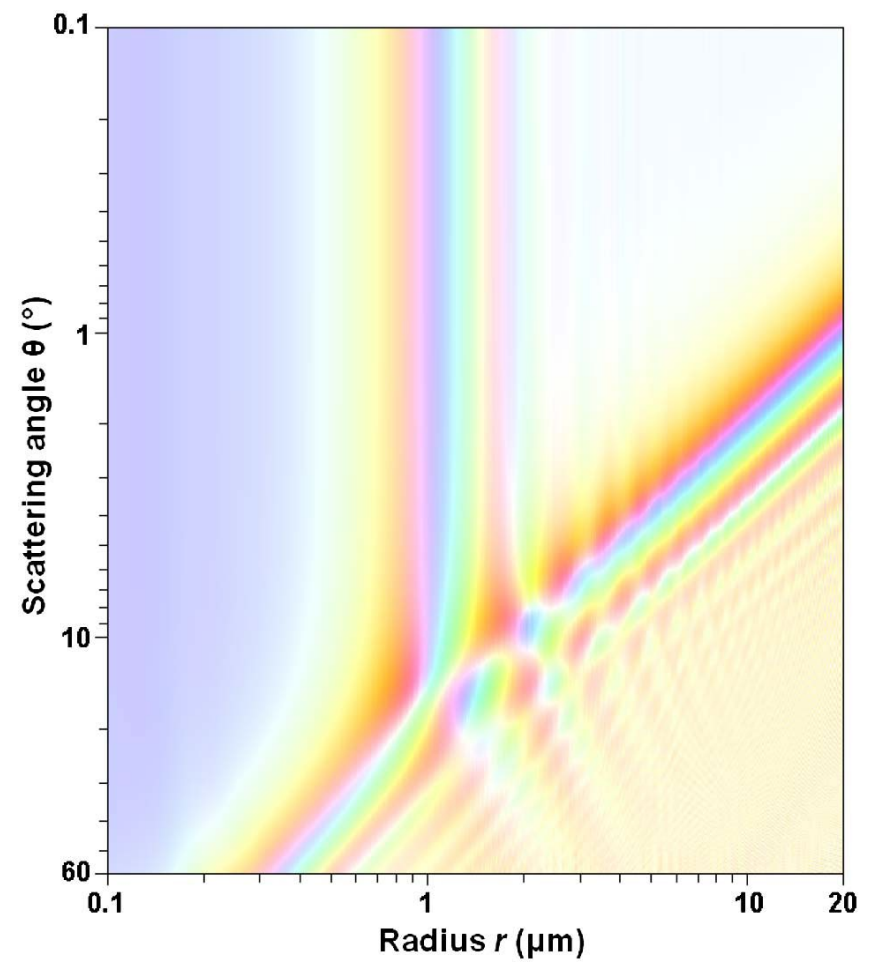
(b)







uklon



mie